

## Lie Groups Univie

*Lie Group Cosmology by Garrett Lisi*

*Lie groups and their Lie algebras - Lec 13 - Frederic Schuller Particle Physics Topic 6: Lie Groups and Lie Algebras LieGroups and Lie Algebras: Lesson 1 - Prerequisites 1.1 What is a Lie Algebra? Lie groups and Lie algebras: Matrix exponential*

*Representation theory of Lie groups and Lie algebras - Lec 17 - Frederic Schuller*

*Lie groups and Lie algebras: Further reading*

*Lie groups and Lie algebras: A local logarithm Klee Irwin - Exceptional Lie Groups Explained Using Non-Infinite Reflections Klee Irwin - Unification of Physics and Number Theory Is E8 Lattice the True Nature of Reality? Or Theory of Everything? Q\u0026A - Information, Evolution, and intelligent Design - With Daniel Dennett A Breakthrough in Higher Dimensional Spheres | Infinite Series | PBS Digital Studios Monster Group (John Conway) - Numberphile (Modern-Day Debate Mirror): Leophilus vs. Otangelo RD. Two - Abiogenesis or Intelligent Design? A Critique of Intelligent Design Pt. 1*

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